

FACULTY OF SCIENCE

ACADEMY OF COMPUTER SCIENCE AND SOFTWARE ENGINEERING

MODULE	GRAPHICS IT18X77
CAMPUS	AUCKLAND PARK CAMPUS (APK)
FSAO SSA	JULY
DATE: 2020-07	SESSION: Morning
ASSESSOR(S):	MR. A. MAGANLAL
MODERATOR:	DR. D VOGTS (NMU)
DURATION: 120 MINUTES	MARKS: 100
Please read the following instructions carefully:	

1. Answer **all** the questions.

- 2. Answer questions in order.
- 3. Answer only in the answer sheets provided.
- 4. Use diagrams where necessary to assist in your explanations.
- 5. Non-programmable calculators are allowed.
- 6. Round final answers to three decimal places.
- 7. Write *cleanly* and *legibly*.
- 8. This paper contains **6** question(s).
- 9. This paper consists of **2** page(s).

QUESTION 1: Rotation Calculation

Answer only one part. Either Matrix or Quaternion

(a) Matrix

Construct a matrix to rotate 347° (clockwise) around the axis specified by

 $(-11, 6, 22) \rightarrow (-3, 0, 17)$

Rotate the point (22, 0, 3) around this axis.

(b) Quaternion

Construct a quaternion to rotate 347° (clockwise) about the axis (8, -6, -5). Use the quaternion to rotate (33, -6, -19) around this axis.

Total: 15

QUESTION 2: Lighting Equation

Write down the Phong lighting equation for a single colour light source and object (black and white model). Now calculate the viewed intensity of a point on an object given the following attributes:

- The object is not emissive at all.
- The ambient light intensity is 0.214.
- The object has an ambient coefficient of 0.936.
- The object has a diffuse reflection coefficient of 0.745.
- The object has a specular reflection coefficient of 0.996.
- The shininess (specular highlight) factor is 3.
- The intensity of the incoming light (both specular and diffuse) is 0.401.
- The point we are considering is (4, –11, –6).
- The normal at the surface is (-0.624242, 0.780303, 0.0380749).
- The light is positioned at (1, –8, 12).
- The viewer is positioned at (-6, 2, 16).

	Total: 15
QUESTION 3: Proof	
(a) Provide the <i>formula</i> for a <i>Bézier curve of degree three (3)</i>	[05]
(b) Show that a <i>Bézier curve of degree three (3)</i> is affine invariant.	[10]
	Total: 15

(a) Describe how to calculate the intersection point between a ray described by \mathbf{o} + t \mathbf{d} (where	[08]
d is a unit vector) and a sphere described by $(x - c_x)^2 + (y - c_y)^2 + (z - c_z)^2 = r^2$.	

(b) How will you determine if the ray is entering or exiting the sphere	? [02]
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Total: 10

QUESTION 5: Rasterisation vs Ray Tracing

Discuss how *forward shading rasterisation* and *naive recursive ray tracing differ* in terms of application of realistic lighting. Your discussion should include how *visibility* is calculated, how reflection/refraction is computed and the relative speed of the technique.

Total: 20

[05]

QUESTION 6: Application

A still image of an *theater stage* is to be rendered. The stage is lit by an array of spot lights, directly above the stage. Rasterisation was selected as a method for rendering the scene. Answer the questions that follow:

- (a) **Provide** a *definition* for *global lighting model*.
- (b) Discuss how *radiosity* works. Your discussion must include details of patches, form [15] factors and methods for solving radiosity as well as how radiosity can be integrated into the rasterisation process.
- (c) **Discuss** why *radiosity* should be used to render the scene as opposed to *photon map-* [05] *ping*.

Total: 25

~~ THE END ~~