| PROGRAM | $:$BACHELOR OF TECHNOLOGY <br>  <br>  <br> ENGINEERING $:$ INDUSTRIAL |
| :--- | :--- |
| $\underline{\text { SUBJECT }}$ | $:$ PRODUCTION TECHNOLOGY IV |
| $\underline{\text { CODE }}$ | $:$ IPT411 |
| $\underline{\text { DATE }}$ | $:$ WINTER SSA EXAMINATION |
|  | 19 JULY 2019 |
| $\underline{\text { DURATION }}$ | $:($ SESSION 1) 08:00 - 11:00 |
| $\underline{\text { WEIGHT }}$ | $: 50: 50$ |
| $\underline{\text { TOTAL MARKS }}$ | $: 100$ |


| ASSESSORS | $:$ MR F CHIROMO |
| :--- | :--- |
| MODERATOR | $:$ MR K SITHOLE |
| NUMBER OF PAGES | $: 4$ PAGES |

## INSTRUCTIONS :

- A CALCULATOR OF ANY MAKE OR MODEL IS PERMITTED.
- ANSWER ALL QUESTIONS.
- NUMBER YOUR QUESTIONS CLEARLY.


## QUESTION 1

1.1 Discuss three problem areas that must be considered in the analysis and design of an automated production line.
1.2 A 30 station transfer line has an ideal cycle time of 0.75 min , an average downtime of 6.0 min per line stop occurrence, and a station failure frequency of 0.01 for all stations. A proposal has been submitted to locate a storage buffer between stations 15 and 16 to improve line efficiency. Determine:
1.2.1 the current line efficiency and production rate;
1.2.2 the current line production rate;
1.2.3 the maximum possible line efficiency that would result from installing the storage buffer;
1.2.4 the maximum possible line production rate that would result from installing the storage buffer.

## QUESTION 2

2.1 Discuss two reasons for the existence of partially automated production lines in a production environment.
2.2 An eight-station automatic assembly machine has an ideal cycle time of 10 seconds. Downtime is caused by defective parts jamming at the individual assembly stations. The average downtime per occurrence is 3.0 minutes. The fraction defect rate is $1.0 \%$ and the probability that a defective part will jam at a given station is 0.6 for all stations. The cost to operate the assembly machine is R90 per hour and the cost of components being assembled is R0.60 per unit assembly. Ignore other costs. Determine:
2.2.1 yield of good assemblies;
2.2.2 average production rate of good assemblies;
2.2.3 proportion of assemblies with at least one defective component, and;
2.2.4 unit cost of the assembled product.

## QUESTION 3

3.1 Two inspection alternatives are to be compared for a processing sequence consisting 20 operations that are performed on a batch of 100 starting parts: (1) one final inspection and sortation operation following the last processing operation, and (2) distributed inspection with an inspection and sortation operation after each processing operation. The cost of each processing operation, $\mathrm{C}_{\mathrm{pr}}$, is R1.00 per unit processed. The fraction defect rate at each operation, q , is 0.03 . The cost of the single final inspection and sortation operation in alternative (1) is $\mathrm{C}_{\mathrm{sf}}$ is R 2.00 per unit. The cost of each inspection and sortation operation in alternative (2) is $\mathrm{C}_{\mathrm{s}}$ is R 0.10 per unit.

Compare total processing and inspection costs per batch for the two cases.

## (Question 3 - continued)

3.2 In 3.1, instead of inspecting and sorting after every operation, the 20 operations will be divided into groups of five, with inspections after operations 5, 10, 15, and 20. Following the logic of the equation, $C s f=\sum_{i=1}^{n} C_{s i}$, the cost of each inspection will be five times the cost of inspecting for one defect feature; that is, $\mathrm{C}_{\mathrm{s} 5}=\mathrm{C}_{\mathrm{s} 10}=\mathrm{C}_{\mathrm{s} 15}=\mathrm{C}_{\mathrm{s} 20}=5(\mathrm{R} 0.10)=\mathrm{R} 0.50$ per unit inspected. Processing cost per unit for each operation remains the same as before at $\mathrm{C}_{\mathrm{pr}}=\mathrm{R} 1.00$, and $\mathrm{Q}_{0}=100$ parts.
Determine the total processing and inspection cost per batch for this partially distributed inspection system.

## QUESTION 4

4.1. Discuss the four categories into which the methods of operating and controlling a coordinate measuring machines (CMM) can be classified.
4.2 The coordinates of the intersection of two lines are to be determined using a CMM to define the equations for the two lines. The two lines are the edges of a machined part, and the intersection represents the corner where the two edges meet. Both lines lie in the x-y plane. Measurements are in inches. Two points are measured on the first line to have coordinates of (5.254, $10.430)$ and (10.223, 6.052). Two points are measured on the second line to have coordinates of $(6.101,0.657)$ and $(8.970,3.824)$. The coordinate values have been corrected for probe radius. Determine:
4.2.1 the two equations for the two lines in the form of $x+A y+B=0$;
4.2.2 the coordinates of the intersection of the two lines.
4.23 The edges represented by the two lines are specified to be perpendicular to each other. Calculate the angle between the two lines to determine if the edges are perpendicular.

## QUESTION 5

5.1 Discuss the factors that influence the make or buy decisions in a manufacturing entity.
5.2 Discuss the significance of manufacturing support systems in a production environment.

## QUESTION 6

6.1 Briefly discuss the following three phases of shop floor control:
6.1.1 Order release;
6.1.2 Order scheduling;
6.1.3 Order progressing.
6.2 An injection moulding machine used to produce 25 different plastic moulded parts in a typical year. Annual demand for a typical part is 20000 units. Each part is made out of a different plastic (the differences are in type of plastic and colour). Because of the differences, changeover time between parts is significant, averaging 5 hours to (1) change moulds and (2) purge the previous plastic from the injection barrel. One setup person normally does these two activities sequentially. A proposal has been made to separate the tasks and use two setup persons working simultaneously. In that case, the mould can be changed in 1.5 hours and purging takes 3.5 hours. Thus, the total downtime per changeover will be reduced to 3.5 hours from the previous 5 hours. Downtime on the injection-moulding machine is R200/hr. labour cost for set time is R20/hr. average cost of a plastic moulded part is R2.50, and holding cost is $24 \%$ annually. For the 5 hour setup, determine:
6.2.1 the economic batch quantity;
6.2.2 the total number of hours per year that the injection-moulding machine is down for changeovers; and
6.2.3 the annual inventory cost.
6.2.4 For the 3.5-hour setup, determine:
6.2.4.1 the economic batch quantity;
6.2.4.2 the total number of hours per year that the injection-moulding machine is down for changeover;
6.2.4.3 the annual inventory cost.

## ANNEXURE

## FORMULA SHEET

$T_{p}=T_{c}+F T_{d} ; \quad F=\sum_{i=1}^{n} p_{i} ; \quad F=n p$
$R_{p}=\frac{1}{T_{p}} ; \quad R_{c}=\frac{1}{T_{c}} ; \quad E=\frac{T_{c}}{T_{p}}=\frac{T_{c}}{T_{c}+F T_{d}} ; \quad T_{r}=\frac{(180-\theta)}{360 N}$
$C_{p c}=C_{m}+C_{o} T_{p}+C_{t} ;$
$\theta=\frac{360}{n_{s}} ; \quad T_{c}=\frac{1}{N} ;$
$T_{s}=\frac{(180+\theta)}{360 N}$
$T_{c}=\operatorname{Max}\left\{T_{s i}\right\}+T_{r} ; \quad D=\frac{F T_{d}}{T_{p}}=\frac{F T_{d}}{T_{c}+F T_{d}} ; \quad E+D=1.0$
$E_{k}=\frac{T_{c}}{T_{c}+F_{k} T_{d k}} ; \quad \quad E_{b}=E_{o}+D_{1}^{\prime} h(b) E_{2} ; \quad \quad E_{o}=\frac{T_{c}}{T_{c}+\left(F_{1}+F_{2}\right) T_{d}}$
$D_{1}^{\prime}=\frac{F_{1} T_{d}}{T_{c}+\left(F_{1}+F_{2}\right) T_{d}} ; \quad r=\frac{F_{1}}{F_{2}} ; \quad b=B \frac{T_{d}}{T_{c}}+L$
$E_{\infty}=\operatorname{Minimum}\left\{E_{k}\right\}$ for $k=1,2$, $K ; \quad E_{0}<E_{b}<E_{\infty}$

## Constant Downtime:

When $r=1.0$, then $h(b)=\frac{B}{B+1}+L \frac{T_{c}}{T_{d}} \frac{1}{(B+1)(B+2)}$

When $r \neq 1.0$, then $h(b)=r \frac{1-r^{B}}{1-r^{B+1}}+L \frac{T_{c}}{T_{d}} \frac{r^{B+1}(1-r)^{2}}{\left(1-r^{B+1}\right)\left(1-r^{B+2}\right)}$

## Geometric Downtime:

When $r=1.0$, then $h(b) \frac{b \frac{T_{c}}{T_{d}}}{2+(b-1) \frac{T_{c}}{T_{d}}}$;

When $r \neq 1.0$ Define $K=\frac{1+r-\frac{T_{c}}{T_{d}}}{1+r-r \frac{T_{c}}{T_{d}}}$ then $h(b)=\frac{r\left(1-K^{b}\right)}{1-r K^{b}}$
$T_{c}=T_{h}+\sum_{j=1}^{n_{c}} T_{e j} ; \quad T_{p}=T_{c}+\sum_{j=1}^{n_{c}} q_{j} m_{j} T_{d} ; \quad T_{p}=T_{c}+n m q T_{d}$
$m_{i} q_{i}+\left(1-m_{i}\right) q_{i}+\left(1-q_{i}\right)=1 ; \quad m q+(1-m) q+(1-q)=1$
$\prod_{i=1}^{n}\left[m_{i} q_{i}+\left(1-m_{i}\right) q_{i}+\left(1-q_{i}\right)\right]=1 ; \quad[m q+(1-m) q+(1-q)]^{n}=1$
$T_{p}=T_{c}+\sum_{i \in n_{a}} p_{i} T_{d} ; \quad p_{i}=m_{i} q_{i} ; \quad T_{p}=T_{c}+n_{a} p T_{d}$
$C_{o}=C_{a t}+\sum_{i \in n_{a}} C_{a s i}+\sum_{i \in n_{w}} C_{w i} ; \quad C_{o}=C_{a t}+n_{a} C_{a s}+n_{w} C_{w}$
$C_{p c}=\frac{C_{m}+C_{o} T_{p}+C_{t}}{P_{a p}} ; \quad \quad P_{a p}=\prod_{i=1}^{n}\left(1-q_{i}+m_{i} q_{i}\right) ;$
$R_{a p}=P_{a p} R_{p}=\frac{P_{a p}}{T_{p}}=\frac{\prod_{i=1}^{n}\left(1-q_{i}+m_{i} q_{i}\right)}{T_{p}} ;$
$R_{a p}=P_{a p} R_{p}=\frac{P_{a p}}{T_{p}}=\frac{(1-q+m q)^{n}}{T_{p}} ; \quad C_{p c}=\frac{C_{m}+C_{o} T_{p}+C_{t}}{P_{a p}}$

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$$
\begin{aligned}
& T_{c}=T_{h}+\sum_{j=1}^{n_{e}} T_{e j} ; \quad T_{p}+T_{c}+\sum_{j=1}^{n_{e}} q_{i} m_{j} T_{d} ; \quad T_{p}=T_{c}+n m q T_{d} ; \\
& T_{p}=T_{c}+\sum_{i \in n_{a}} p_{i} T_{d} ; \quad T_{p}=T_{c}+n_{a} p T_{d} ; \quad C_{o}=C_{a t}+\sum_{i \in n_{a}} C_{a s i}+\sum_{i \in n_{w}} C_{w i} ; \\
& C_{o}=C_{a t}+n_{a} C_{a s}+n_{w} C_{w} ; \\
& C_{p c}=\frac{C_{m}+C_{o} T_{p}+C_{t}}{P_{a p}} ; \\
& Q=Q_{o}(1-q) ; \\
& D=Q_{o} q ; \\
& Q_{f}=Q_{o} \prod_{i=1}^{n}(1-q) \\
& Q_{f}=Q_{o}(1-q)^{n} ; \quad \quad D_{f} Q_{o} Q_{f} ; \quad \prod_{i=1}^{n}\left(p_{i}+q_{i}\right)=1 ; \\
& C_{b}=Q_{o} \sum_{i=1}^{n} C_{p r i}+Q_{o} C_{s f}=Q_{o}\left(\sum_{i=1}^{n} C_{p r i}+C_{s f}\right) ; \quad C_{b}=Q_{o}\left(n C_{p r}+C_{s f}\right) \\
& C_{b}=Q_{o}\left(C_{p r 1}+C_{s 1}\right)+Q_{o}\left(1-q_{1}\right)\left(C_{p r 2}+C_{s 2}\right)+Q_{o}\left(1-q_{1}\right)\left(1-q_{2}\right)\left(C_{p r 3}+C_{s 3}\right)+\ldots \ldots . .+Q_{o} \prod_{i=1}^{n-1}(1-q)\left(C_{p r n}+C_{s n}\right) \\
& C_{b}=Q_{o}\left(1+(1-q)+(1-q)^{2}+\ldots \ldots \ldots \ldots \ldots .+(1-q)^{n-1}\right)\left(C_{p r}+C_{s}\right) \\
& C_{s f}=\sum_{i=1}^{n} C_{s i} ; \\
& C_{s f}=n C_{s} \\
& C_{b}(100 \% \text { inspection })=Q C_{s} ; \quad C_{b}(\text { no inspection })=Q q C_{d} \\
& C_{b}(\text { sampling })=C_{s} Q_{s}+\left(Q-Q_{s}\right) q C_{d} P_{a}+\left(Q-Q_{s}\right) C_{s}\left(1-P_{a}\right) \\
& q_{c}=\frac{C_{s}}{C_{d}} \\
& C_{b}=Q_{o}\left(\sum_{i=1}^{n} C_{p r i}+C_{s n}\right)+Q_{o} \prod_{i=1}^{n}\left(1-q_{i}\right)\left(\sum_{i=1+n}^{2 n} C_{p r i} C_{s(2 n)}\right)+\ldots \ldots \ldots . . . . . . . . \\
& C_{b}=Q_{o}\left(n C_{p r}+C_{s(n)}\right)+Q_{o}(1-q)^{n}\left(5 C_{p r}+C_{s(2 n)}\right)+\ldots \ldots \ldots \ldots \ldots . .
\end{aligned}
$$

$$
\begin{array}{lr}
n_{o}=2^{B} ; & M R=\frac{L}{n_{o}-1}=\frac{L}{2^{B}-1} \\
L= \pm \sqrt{\left(x_{2}-x_{1}\right)^{2}+\left(y_{2}-y_{1}\right)^{2} ;} & L= \pm \sqrt{\left(x_{2}-x_{1}\right)^{2}+\left(y_{2}-y_{1}\right)^{2}+\left(z_{2}-z_{1}\right)^{2}} \\
(x-a)^{2}+(y-b)^{2}=R^{2} ; & (x-a)^{2}+(y-b)^{2}+(z-c)^{2}=R^{2} \\
x+A y+B=0 ; & y=m x+b \\
x+A y+B z+C=0 &
\end{array}
$$

$$
R_{a}=\int_{0}^{L} \frac{|y|}{L} d x ;
$$

$$
R_{a}=\frac{\sum_{i=1}^{n}\left|y_{i}\right|}{n} ;
$$

$$
R=L \cot A
$$

$$
\text { TIC }=\frac{C_{h} Q}{2}+\frac{C_{s u} D_{a}}{Q} ;
$$

$$
C_{h}=h C_{p c}
$$

$$
C_{s u}=T_{s u} C_{d t}
$$

$$
T C=\quad D_{a} C_{p c}+\frac{C_{h} Q}{2}+\frac{C_{s u} D_{a}}{Q} ; \quad Q=E O Q=\sqrt{\frac{2 D_{a} C_{s u}}{C_{h}}}
$$

$$
C_{p c}=C_{m}+n_{o}\left(C_{o} T_{p}+C_{n o}\right), \quad C_{p}=n_{o}\left(C_{o} T_{p}+C_{n o}\right)
$$

$$
T C_{p c}=C_{m}+C_{p}+\int_{0}^{M L T}\left(C_{m}+\frac{C_{p} t}{M L T}\right) h d t ; \quad T C_{p c}=C_{m}+C_{p}+\left(C_{m}+\frac{C_{p}}{2}\right) h(M L T)
$$

Holding $\cos t / p c=\left(C_{m}+\frac{C_{p}}{2}\right) h(M L T)$

$$
Y=1-q ; \quad O E E=A U Y r_{o s} ; \quad T_{t a k t}=\frac{E O T}{Q_{d d}}
$$

