

**PROGRAM** : NATIONAL DIPLOMA

CIVIL ENGINEERING

**SUBJECT** : **STRUCTURAL ANALYSIS II** 

<u>CODE</u> : AIS2111

<u>DATE</u> : SUPPLEMENTARY EXAMINATION 2016

19 JULY 2019

**<u>DURATION</u>** : (X-PAPER) 08:00 - 11:00

**WEIGHT** : 40:60

TOTAL MARKS : 100

**EXAMINER** : MR F THAIMO

**MODERATOR** : DR J MAHACHI

**NUMBER OF PAGES** : 4 PAGES

INSTRUCTIONS: SCIENTIFIC POCKET CALCULATOR MAY BE USEDREQUIREMENTS: 2 SHEETS OF A4 GRAPH PAPER PER CANDIDATE.

## **INSTRUCTIONS TO CANDIDATES:**

PLEASE ANSWER ALL THE QUESTIONS.

#### **QUESTION 1**

The statically determinate frame **ABCD**, Figure 1 below, is pinned at both supports A and D, and is connected by a frictionless pin at C. The frame is subjected to loading as shown on the Figure.

- 1.1 Determine the support reactions at A and D and sketch a free body diagram of the frame showing all the loads and reactions.
- 1.2 Draw the Shear Force, Bending Moment and Axial Force Diagrams for the frame on the graph paper provided. **Note**: bending moment is to be drawn on the side of the member where it causes tension.

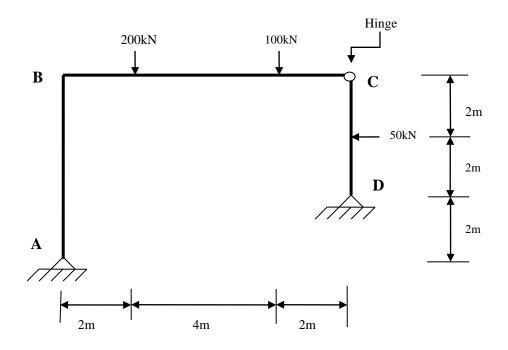


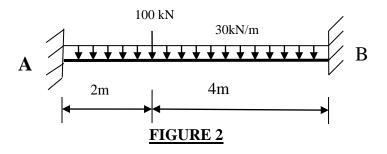
FIGURE 1

[25]

## **QUESTION 2**

A beam with both ends fixed is shown in Figure 2 below. The beam is subjected to a point load at 2m from support A and a UDL as shown on the Figure. The EI value for the beam section is constant.

Using **MOMENT-AREA** theory, determine the reactant bending moments at the supports A and B.



[20]

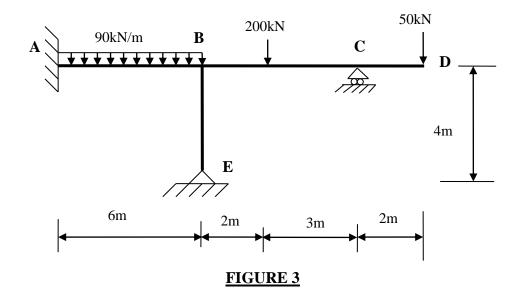
## **QUESTION 3**

Figure 3 below shows a framed ABCDE which is fixed at A, pinned at E and rests on rollers at C. EI is constant. The frame is subjected to different loading as shown in Figure 3.

Using the **SLOPE DEFLECTION** method, analyze the frame and draw the Shear Force, Bending Moment and Axial Force diagrams for the frame on the graph paper provided.

The slope deflection equations are as follows:

$$M_{AB} = \frac{2EI}{l} \left[ 2\theta A + \theta B - \frac{3(\Delta B - \Delta A)}{l} \right] \qquad M_{BA} = \frac{2EI}{l} \left[ \theta A + 2\theta B - \frac{3(\Delta B - \Delta A)}{l} \right]$$



# **QUESTION 4**

A steel section is to be used as a column. The column is to be fixed at one end and pinned at the other for bending about both X-X and Y-Y axis.

The properties of the section are as follows:

- 4.1 Calculate the Euler buckling stress and the corresponding load.
- 4.2 If Perry-Robertson equation is used, what would be the stress at failure and the force to produce this stress?

Perry-Robertson equation is as follows:

$$\boldsymbol{\sigma}_{c} = \frac{1}{2} \left[ \sigma_{y} + (1+\eta) \sigma_{s} \right] - \sqrt{\left\{ \frac{1}{4} \left[ \sigma_{y} + (1+\eta) \sigma_{s} \right]^{2} - \sigma_{y} \sigma_{s} \right\}}$$

[25]

**Total: 100**