

PROGRAM : NATIONAL DIPLOMA

CHEMICAL ENGINEERING

SUBJECT : CHEMICAL PLANT III A

CODE : ACPA 321

DATE : SUPPLIMENTARY EXAMINATION 2014

15 JULY 2014

VENUE : DFC JOHN ORR BUILIDING 2120

DURATION : (SESSION 1) 08:00 - 11:00

WEIGHT : 40: 60

TOTAL MARKS : 100

FULL MARKS : 100

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NUMBER OF PAGES 6 PAGES (INCLUDING THIS COVER PAGE)

INSTRUCTIONS - NON- PROGRAMMABLE CALCULATORS

PERMITTED.

- ANSWER ALL THE QUESTIONS.

A steel tank used to hold hot oil is discovered to leak after two years in operation. The tank was
designed corrosion allowance thickness for a lifespan of 30 years. Upon close examination, the tank
was found to have small pits of various dimensions and depth on the surface. A nearby factory is
known to spray fine droplets of hydrochloric acid in the air from time to time.





Figure 1: Corrosion of a tank

- Describe what form of corrosion is occurring in this case. [3]
- ii. Use a diagram to show the mechanism and the flow of electrons on the sketch. [9]
- iii. How can it be prevented from happening [8]

QUESTION 2: STRENGTH OF MATERIALS

[20]

[10]

A pipe has an outside diameter of 25 mm, an inside diameter of 15 mm and length 0.40 m and it supports a compressive load of 40 kN. The pipe shortens by 0.5 mm when the load is applied. Determine:

- a) The compressive stress [10]
- b) The compressive strain in the pipe when supporting this load.

QUESTION 3: THEORY OF SIZE REDUCTION [20] Calculate the shape factors, '\(\lambda'\) for model systems in which the particles are given below. First calculate the correct values of 'p' and 'q' for each shape model (a) Cubes with side dimension L, i. The value of 'p' is [1] The value of 'q' is ii. [1] The value of the shape factor is then iii. [2] (b) Spheres of diameter D, i. The value of 'p' is [1] ii. The value of 'q' is [1] The value of the shape factor is then iii. [2] (c) Cylinders with L = 2D, The value of 'p' is i. [2] The value of 'q' is ii. [2] The value of the shape factor is then iii. [2] (d) Tetrahedra with their sides being equilateral triangles (the volume of a tetrahedron being the area of the base multiplied by 1/3 the vertical height) The value of 'p' is i. [2] ii. The value of 'q' is [2] The value of the shape factor is then iii. [2] [20] **QUESTION 4: ENVIRONMENTAL PROTECTION** Define pollution. [8] 4.1 4.2 Give any of the three forms of pollutions and discuss them. [12]

QUESTION 5: CONVEYOR BELT APPLICATION

[20]

A belt conveyor 915 m long and 0.9 m wide is loaded with ore of bulk density 1.2 t/m³ at two points. 350 t/h at the tail end of the conveyor, and 250 t/h at a point 305 m from the tail end. The gradient of the conveyor is 1 in 50 against the loads. The idler friction coefficient is 0.03 for both empty belt and material, and the two-drum drive-head has a total angle of wrap of 440°, with a coefficient of grip of 0.25. The average material section is one twelfth of the belt width squared and the mass of the moving part per meter is taken to be 60 times the belt width. An efficiency of 90 % for the gearing at the drive head is to be considered.

Determine the following;

a)	The capacity of the belt in kg/s.	[2]
b)	Speed of the belt m/s.	[3]
c)	Power (in kW) required to drive empty belt across the entire length.	[3]
d)	Power (in kW) required to convey the material across the entire length.	[6]
e)`	Power (in kW) required to raise the material to the required height across the entir	e length of the
	belt.	[6]
f)	Power (in kW) required at the motor.	[2]
g)	The non-slip ratio of the belt.	[3]
h)	The maximum belt tension in kN.	[3]
i)	Maximum permissible stress (in kN/m) if the belt has 5 plies.	[2]

END OF EXAM

SUPPLEMENTARY EXAM JULY 2013- CHEMICAL PLANT III A - ACPA 321

FORMULA SHEET

STRENGTH OF MATERIALS

$$\sigma = E \cdot \varepsilon$$

$$\sigma = \frac{F}{A}$$

PARTICLE SIZE REDUCTION

$$E = K_K \cdot f_c \cdot \log_e \left(\frac{L_1}{L_2}\right)$$
 or $E = K_K \cdot f_c \cdot \ln \left(\frac{L_1}{L_2}\right)$

$$E = K_R \cdot f_c \cdot \left(\frac{1}{L_2} - \frac{1}{L_1}\right)$$

$$E = E_i \cdot (100/L_2)^{1/2} \cdot (1 - 1/q^{1/2})$$
 with $q = \frac{L_1}{L_2}$

with
$$q = \frac{L_1}{L_2}$$

$$V_{\mathbf{p}} = p \cdot D_{\mathbf{p}}^3$$

$$V_{\mathbf{P}} = p \cdot D_{\mathbf{P}}^3$$
 $A_{\mathbf{P}} = 6 \cdot q \cdot D_{\mathbf{P}}^2$ Shape factor $\lambda = \frac{q}{p}$

$$\lambda = \frac{q}{r}$$

MATERIAL HANDLING

Tensions ratio for a flat conveyor belt

$$T_1 = T_2 e^{\mu\theta}$$

Tensions ratio for a v-conveyor belt

$$T_1 = T_2 e^{\frac{\mu \theta}{\sin(\frac{\phi}{2})}}$$

 $T_1 = T_2 e^{\frac{\mu \theta}{\sin(\frac{\phi}{2})}}$ Effective belt tension $T_e = T_1 - T_2 = \frac{P_T}{V_1}$

$$T_1 = T_e \frac{e^{\mu\theta}}{e^{\mu\theta} - 1}$$
 \Rightarrow $T_1 = T_e \frac{e^{\mu\theta}}{e^{\mu\theta} - 1}$ with $n = e^{\mu\theta}$

$$\sigma = \frac{T_1}{W \cdot p}$$

$$P_T = T_e v = (T_1 - T_2)v = T_1 \left(1 - \frac{1}{e^{\mu\theta}}\right)v$$
 & $P_T = P_e + P_m \pm P_r$

$$P = \frac{P_T}{\eta}$$

Power required to drive the empty belt

$$P_e = F_e v = m_i (l + 45) g \mu_e v$$

$$P_m = m_m g l \mu_m v$$

$$P_r = (Cap)gh$$

GALVANIC SERIES: The following is the galvanic series for stagnant (that is, low oxygen content) water. The order may change in different environments.

CATHODIC OR MOST NOBLE(PROTECTED END)			
Graphite			
Palladium			
Platinum			
Gold			
Silver			
Titanium			
Stainless steel 316 (passive)			
Stainless Steel 304 (passive)			
Silicon bronze			
Stainless Steel 316 (active)			
Monel 400			
Phosphor bronze			
Admiralty brass			
Cupronickel			
Molybdenum			
Red brass			
Brass plating			
Yellow brass			
Naval brass 464			
Uranium 8% Mo			
Niobium 1% Zr			
Tungsten			
Stainless Steel 304 (active)			
Tantalum			
Chromium plating			
Nickel (passive)			
Copper			
Nickel (active)			
Cast iron	Ì		
Steel			
Lead			
Tin			
Indium			
Aluminum	į		
Uranium (pure)			
Cadmium			
Beryilium			
Zinc plating (see galvanization)			
Magnesium	1		
ANODIC OR LEAST NOBLE (CORRODED END)			

